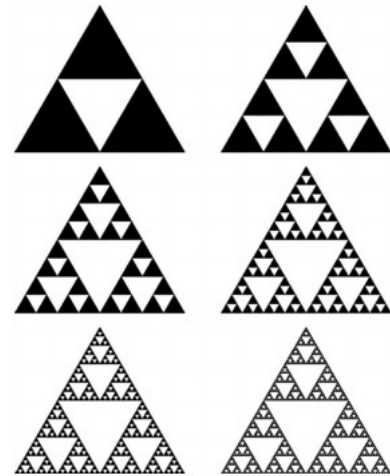
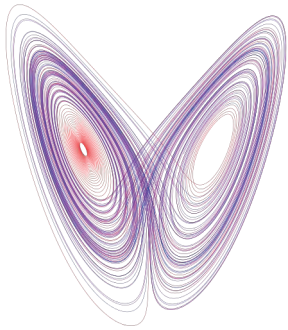
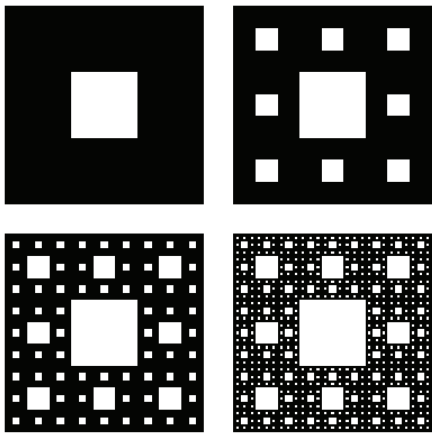
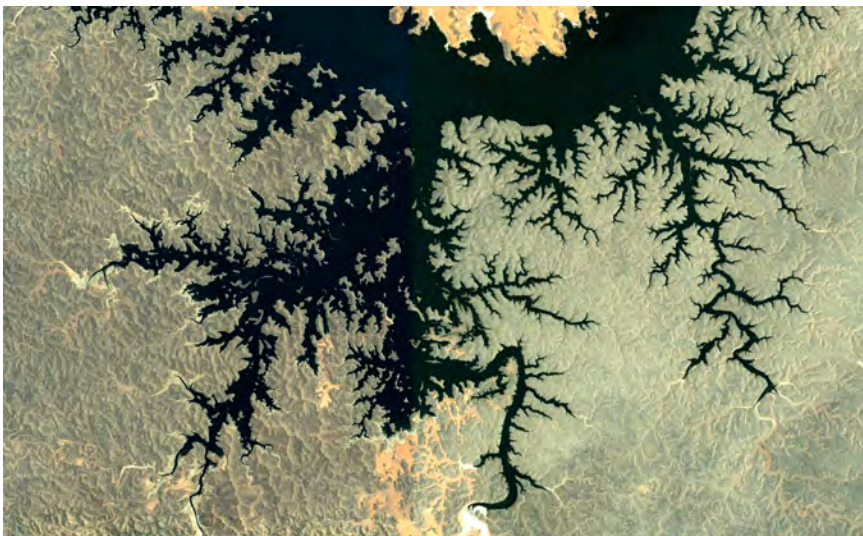


fractals and multiscale structure





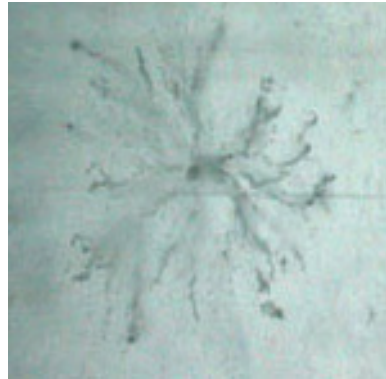
some
fractals



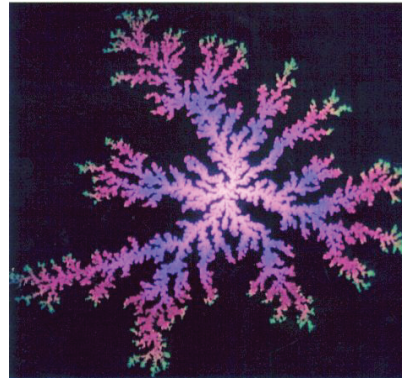
fractal microstructures



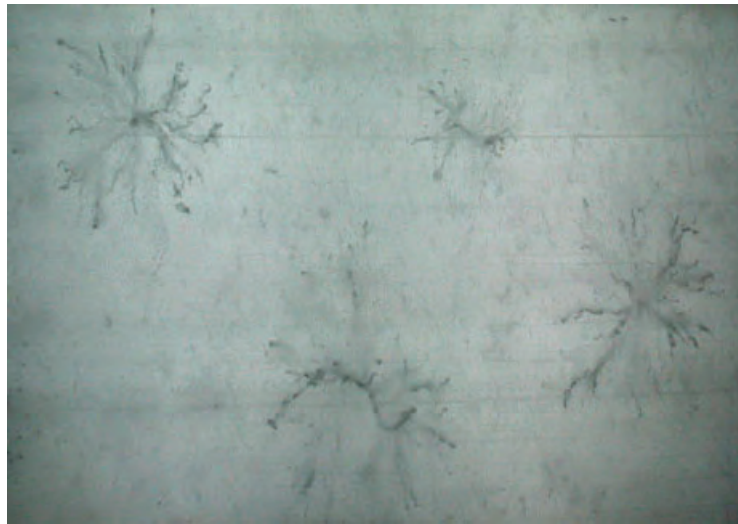
electrorheological fluid
with metal spheres



brine channel
in sea ice



diffusion limited
aggregation

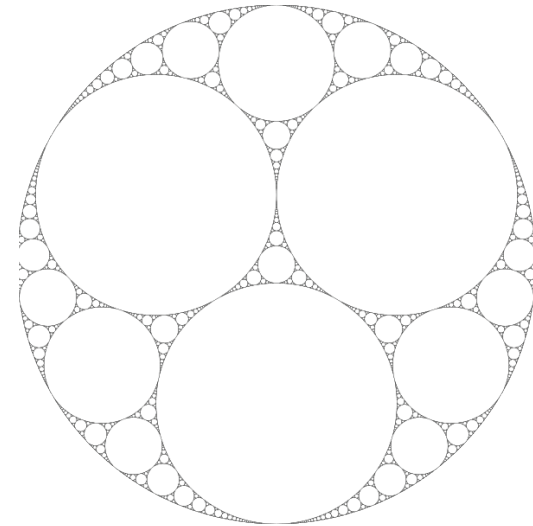
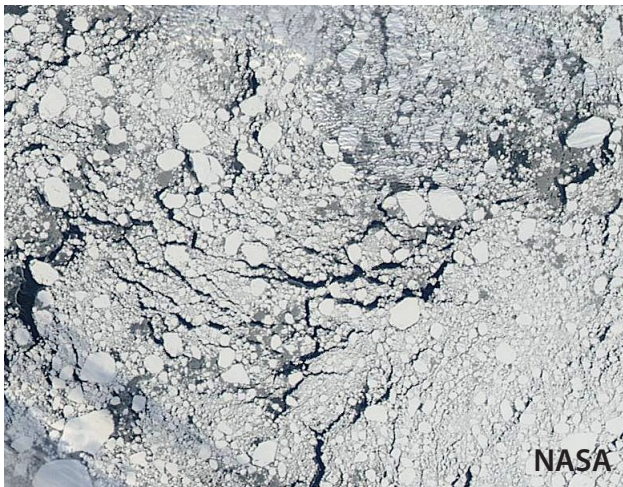
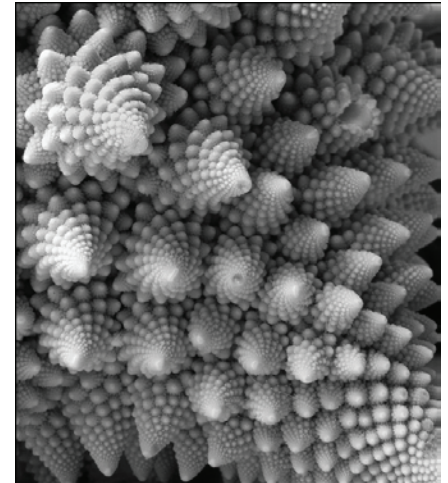


brine channels



the sea ice pack is a *fractal*

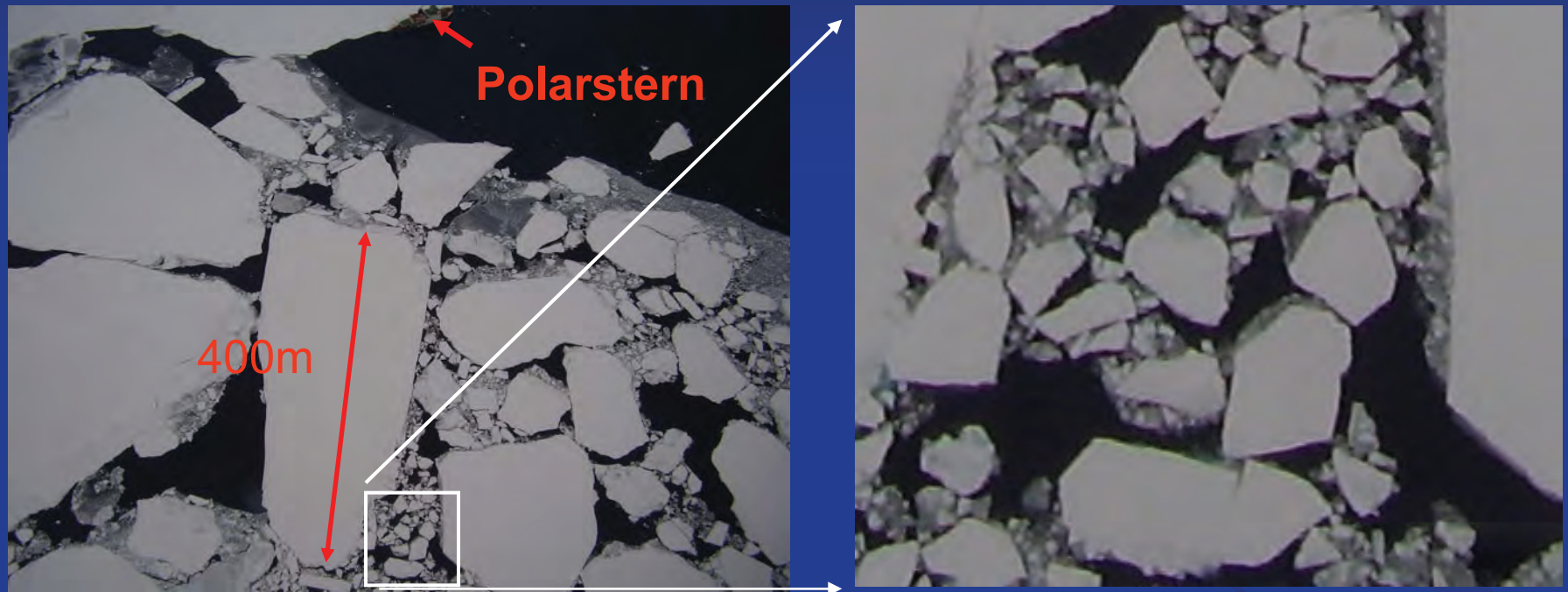
displaying self-similar structure on many scales



floe size distribution, area-perimeter relations, etc. important in dynamics (fracture), thermodynamics (melting)

Self-similarity of sea ice floes

Weddell Sea, Antarctica



***fractal dimensions of Okhotsk Sea ice pack
smaller scales $D \sim 1.2$, larger scales $D \sim 1.9$***

Toyota, et al. *Geophys. Res. Lett.* 2006

Rothrock and Thorndike, *J. Geophys. Res.* 1984



melt pond formation and albedo evolution:

- *major drivers in polar climate*
- *key challenge for global climate models*

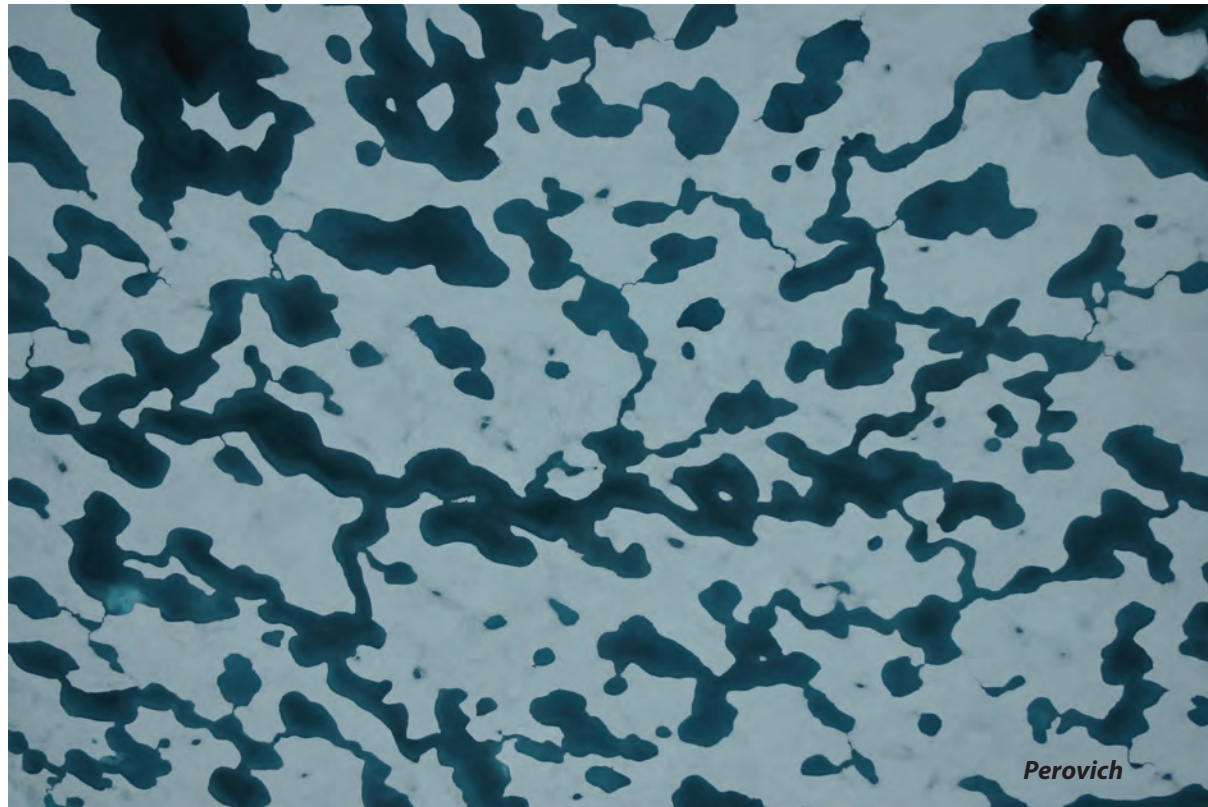
numerical models of melt pond evolution, including topography, drainage (permeability), etc.

Lüthje, Feltham,
Taylor, Worster 2006

Flocco, Feltham 2007

Skyllingstad, Paulson,
Perovich 2009

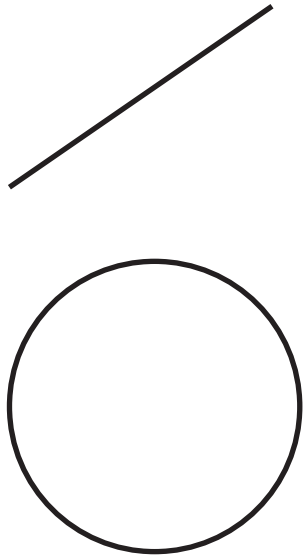
Flocco, Feltham,
Hunke 2012



Are there universal features of the evolution similar to phase transitions in statistical physics?

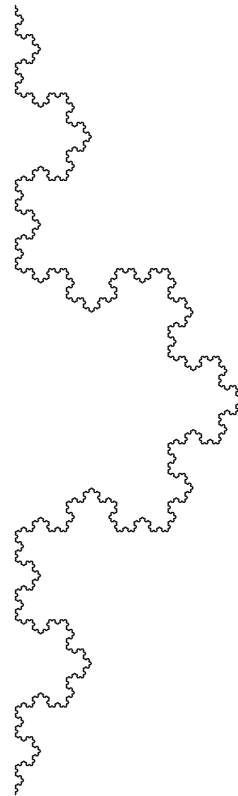
fractal curves in the plane

they wiggle so much that their dimension is >1



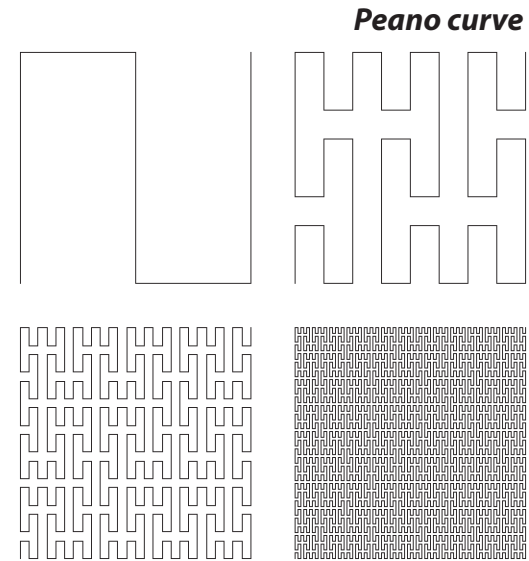
simple curves

$$D = 1$$



Koch snowflake

$$D = 1.26$$



Peano curve

Brownian motion

space filling curves

$$D = 2$$

clouds exhibit fractal behavior from 1 to 1000 km

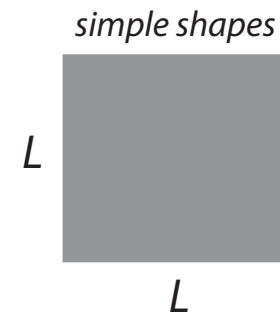
use **perimeter-area** data to find that
cloud and rain boundaries are fractals

$$D \approx 1.35$$

S. Lovejoy, Science, 1982

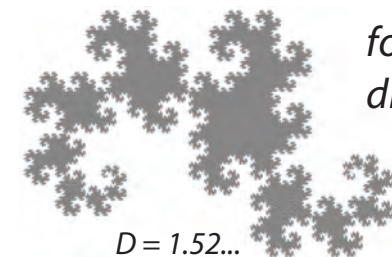


$$P \sim \sqrt{A}$$



$$A = L^2$$
$$P = 4L = 4\sqrt{A}$$

$$P \sim \sqrt{A}^D$$



for fractals with
dimension D

$D = 1.52...$