

Ex 1: If \$1000 is invested at 10% compounded continuously, the future value S at any time t (in years) is given by  $S = 1000e^{0.1t}$ .

a) What is the account worth after one year?

b) How long will it take for the investment to double?

Ex 2: The population of Mathville grows according to the formula  $P=P_0e^{0.03t}$ . If the population was 250,000 in the year 2000, estimate the year in which the population reaches 350,000.

Ex 3: Radioactive Iodine-(3) has a half-life of 8 days. How long does it take to reduce an initial amount of Iodine-(3) to 1% of the initial amount.

Ex 4: The tsunami of 2004 killed over 200,000 people and was measured at M = 9.1 on the Richter Scale. What was its intensity?

(Use M = log (  $\frac{I}{I_0}$  ) where  $I_0$  =  $10^3$  is the zero level earthquake, or the minimum intensity that can be felt.)

Ex 5: Anneke puts \$350 per month into an investment account to save for her retirement. The account earns 6% intreest compounded monthly and the account grows according to this formula

$$S(t) = \frac{300((1.005)^{12t} - 1)}{0.005}$$
 where t is the number of years she makes the deposits.

How many years must she make monthly deposits in order to have \$1,200,000 in this retirement account?