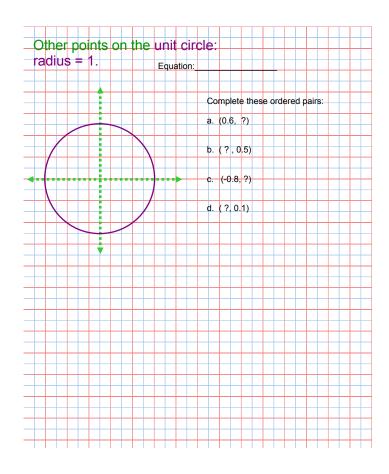


Tangent t =

Cotangent t =



Periodic means what??

Back to the unit circle -- Answer each of these and come up with a conjecture.

$sin(\frac{\pi}{3})$	sin ( <u>3π</u> ) 4
$\sin\left(-\frac{\pi}{3}\right)$	$\sin(-\frac{3\pi}{4})$
$\cos(\frac{\pi}{3})$	$\cos\left(\frac{3\pi}{4}\right)$

cos(- <u></u> )	cos (- <u>3π</u> )
3	4

Exercise 1:

a. Evaluate the six trigonometric functions of t if  $t = -5\pi/6$ .

b. Evaluate the six trigonometric functions of *t* if  $t = 2\pi/3$ .

Practice these:

Exercise 2:

If  $\sin t = -0.5$  and  $~~\pi < t < 3\pi/2$  , determine the other five trigonometric functions of t

Exercise 3:

If sec t = -5/3 and t is in the third quadrant, determine the other five trigonometric functions of t.

One more thing - A reference angle is

## Positive

Acute Shares the terminal side with the original angle and has one side on the *x*-axis. If the angle is in radians, the reference angle is in radians. If the angle is in degrees, the reference angle is in degrees.

Every angle  $\theta$  has a reference angle  $\theta'$ .

Note: The quadrant angles have no reference angle.

Examples:

$$\theta = 5\pi/4 \implies \theta' = \qquad \qquad \theta = -2\pi/3 \implies \theta' =$$

 $\theta = 140^{\circ} \Rightarrow \theta' = \qquad \qquad \theta = -800^{\circ} \Rightarrow \theta' =$ 

## Exercise 4:

Of course a calculator will provide approximate answers in decimal form and approximate answers for "unfriendly" angles.

 $sin(3\pi/4) =$ 

 $tan (5\pi/6) =$ 

 $cos (2\pi/3) =$ 

sec  $(5\pi/4) =$ 

sin ( 0.24) =