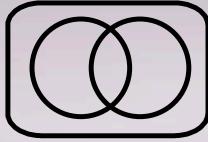


$\approx \{ \} \sqrt{\quad}$    $\infty \sum \pi$

*Range*

## Math 1030 #13b

*Domain*

*Dependent Variable*

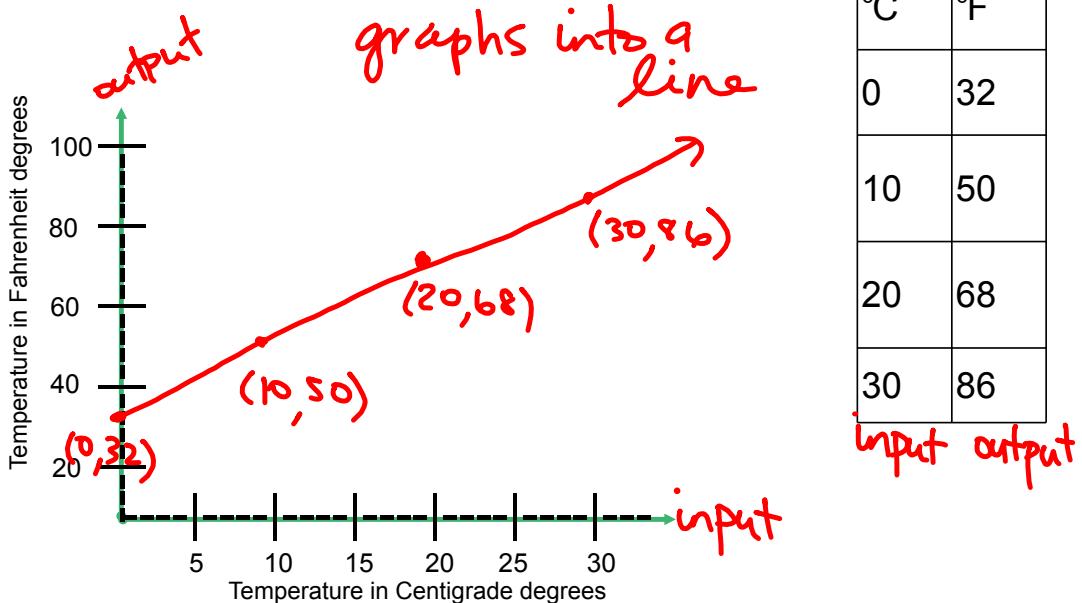
### Functions: Building Blocks of Mathematical Modeling

*Independent Variable*

Domain and Range

## Representing Functions

- 1) Numerically - in a table
- 2) Graph - a picture (is worth 1000 words)
- 3) Equation

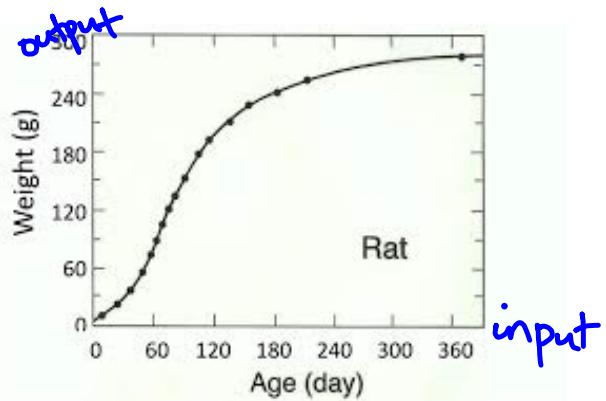


$$F = \frac{9}{5}C + 32$$

Domain - the set of values that both make sense and are of interest for the independent variable. (set of allowable inputs)

Range - the values of the dependent variable that correspond to the values in the domain. (set of outputs)

EX 1: Consider this graph.



- a) Identify the independent and dependent variables and describe the domain and range.

indep var (input) = age, dep var (output) = wt

domain : (set of values on the horizontal axis, where there are pts on the graph) 0 to 365 days

range : (set of values on the vertical axis, where there are pts on the graph) 0 to 290 g

- b) Describe the function in words.

as a rat gets older, the weight of the rat increases fairly quickly and then levels off

EX 2: Consider this table.

Since boiling pt of water depends on altitude,  
alt. = input and  
b.p. = output

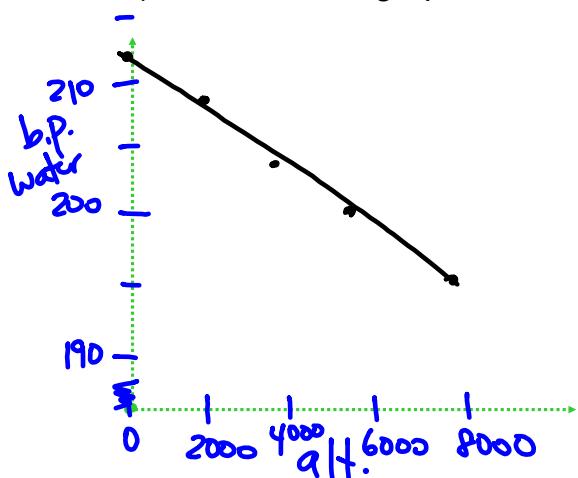
Altitude (ft)	Boiling point of Water (°F)
0	212.0
2,000	208.4
4,000	204.8
6,000	201.0
8,000	195.5

- a) Identify the independent and dependent variables and describe the domain and range.

indep. var. = altitude, dep. var. = b.p. of water

domain =  $[0, 8000]$       range =  $[195.5, 212.0]$

- b) Make a clear graph of the function.



Altitude (ft)	Boiling point of Water (°F)
0	212.0
2,000	208.4
4,000	204.8
6,000	201.0
8,000	195.5

- c) Describe the function in words.

as altitude increases, b.p. of water decreases