

One Factor ANOVA		TUKEY's METHOD		Problem 428[18]		Hormone Data			
Level	J=# obs	$\bar{x}_{\{l, .\}}$	$s_{\{l, .\}}$						devsq l
1	4	12.75	4.19324854	13	17	7	14		52.75
2	4	17.75	3.59397644	21	13	20	17		38.75
3	4	17.5	2.081666	18	15	20	17		13
4	4	11.5	4.65474668	7	11	18	10		65
5	4	10	3.91578004	6	11	15	8		46
I =	J=	$\bar{x}_{\{., .\}}$		SST=		SSTr			SSE =
5	4	13.9		415.8		200.3			215.5
df E =		df Tr =				SSE + SSTr =		415.8	
15		4							
MSE =		MSTr =		f =		P = Prob(f ≥	3.48549884)		
14.3666667		50.075		3.48549884		0.03335772			
		alpha =		Crit f(alpha)=		max s_l / min s_l =			
		0.05		3.05556828		2.23606798			
Enter Upper-Tail, alpha-critical, Studentized range for		alpha =		df numer.=		df denom.=		$Q_{\{\alpha, l, l(j-1)\}}$ =	
		0.05		5		15		4.37	
Width of simultaneous CI for difference of means w=		8.28188983							
Simultaneous CI for differences of means									
$\mu_1 - \mu_2$	-5		$\mu_1 - \mu_3$	-2.75		$\mu_1 - \mu_4$	1.25		
-13.2818898	3.28188983		-11.0318898	5.53188983		-7.03188983	9.53188983		
$\mu_1 - \mu_5$	2.75								
-5.53188983	11.0318898								
$\mu_2 - \mu_3$	0.25		$\mu_2 - \mu_4$	6.25		$\mu_2 - \mu_5$	7.75		
-8.03188983	8.53188983		-2.03188983	14.5318898		-0.53188983	16.0318898		
$\mu_3 - \mu_4$	6		$\mu_3 - \mu_5$	7.5					
-2.28188983	14.2818898		-0.78188983	15.7818898					
$\mu_4 - \mu_5$	1.5								
-6.78188983	9.78188983								
Large differences:		1	2	3	4	5			
	1		-1	-1	-1	-1			
	2			-1	-1	-1			
	3				-1	-1			
	4					-1			

Anova: Single Factor

SUMMARY

<i>Groups</i>	<i>Count</i>	<i>Sum</i>	<i>Average</i>	<i>Variance</i>
Row 1	4	51	12.75	17.58333333
Row 2	4	89	17.75	12.91666666
Row 3	4	70	17.5	4.333333333
Row 4	4	46	11.5	21.66666667
Row 5	4	40	10	15.33333333

ANOVA

<i>Source of Variatio</i>	<i>SS</i>	<i>df</i>	<i>MS</i>	<i>F</i>	<i>P-value</i>	<i>F crit</i>
Between Groups	200.3	4	50.075	3.4854988	0.0333577	2.901294536
Within Groups	215.5	15	14.3666667			
Total	415.8	19				

Contrast: avg level 4 and 5 different from avg level 1, 2, 3?

alpha = 0.05

$t_{\{\alpha/2, df E\}} = 2.131449536$

$(\bar{x}_1 + \bar{x}_2 + \bar{x}_3)/3 - (\bar{x}_4 + \bar{x}_5)/2 = 4.5$

$(1/3)^2 + (1/3)^2 + (1/3)^2 + (-1/2)^2 + (-1/2)^2 = 0.833333333$

2-sided CI for $(\mu_1 + \mu_2 + \mu_3)/3 - (\mu_4 + \mu_5)/2$
 0.812496478 8.187503522