Project 3

Jeremy Morris

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In general, we will use the following as parameters for this project : $r = 0.05, T = 0.25, N = 50, S_0 = 23$ and $\sigma = 0.15$.

1. Consider the following option : if the stock at T is greater than or equal to \$25, you recieve \$1, otherwise you recieve nothing. Price this option.

The price of this option is 0.192.

2. Use the same binomial tree to price a call on a call option. With this compound option, at time $T_1 = 0.25$, the holder has the right to pay $K_1 = 3$ to receive a call option with a strike $K_2 = 25$ that expires at $T_2 = 0.5$.

The price of this option is 0.0066. The calculation is not very complicated, just calculate the call prices out to $T_2 = 0.5$ and at $T_1 = 0.25$ swap the prices for their intrinsic value against the new strike $K_1 = 3$.

3. Consider this put option with K = 21 that expires at T = 0.25. You are allowed to exercise at t = (0, 0.05, 0.1, 0.15, 0.2, 0.25). Extend your previous American option pricer to price this put option and compare the price with those of the European put and standard American put.

The prices for the three options are as follows:

European	Burmuda	American
0.0629	0.0637	0.0646

Then we get the prices that we expect, namely that the Burmuda option price falls between the European and American prices.