| Student I.D | | | | | |
|------------------------------------------------------------------------------|--------------------------------------------------------------------------------------------|-----------------------------------------------------------------------|------------------|--------|---------|
| | | a 2250–1 | | | |
| | Q | uiz 9 | | | |
| | Noveml | ber 4, 2011 | | | |
| Consider the differential education: Market and the differential education: | e differential equation for $x(t)$, which could arise in a model for forced damped orion: | | | | |
| meenamear motion. | $x''(t) + 2 \cdot x'(t) + 5 \cdot x(t) = 10 \cdot \sin(t)$. | | | | |
| 1a) Find a particular solution | to this differential eq | uation using the | method of undete | | cients. |
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| 1b) What is the general solut | ion to the differential | equation above | ? | | |
| -o, ,, | | equation as sive | | (3 | point) |
| | | | | | |
| | | | | | |
| 1c) Why is the particular solu forced and damped oscillation | | you found in part (1a) called the steady-periodic solution for oblem? | | | • |
| | | | (1 | point) | |
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