Name. $\qquad$
Scores
Problem 1. Periodic harvesting.
Problem 2. Cross bow.
Problem 3. Gaussian algorithm.
Problem 4. Inverse matrix.
Problem 5. In-class, October 18.
Average.

## Applied Differential Equations 2250-1 Version A-M Midterm Exam 2 In-Class <br> Friday, 18 October, 2002

Instructions: This in-class exam is 15 minutes. Hand-written or computer-generated notes are allowed, including xerox copies of tables or classroom xerox notes. Calculators are allowed. Books are not allowed.
5. (RREF method)

Let $a$ and $b$ denote constants and consider the system of equations

$$
\left(\begin{array}{ccc}
1 & a+b & b \\
0 & 0 & a \\
1 & a+b & a+b
\end{array}\right)\left(\begin{array}{l}
x \\
y \\
z
\end{array}\right)=\left(\begin{array}{l}
0 \\
a \\
b
\end{array}\right)
$$

(1) Determine those values of $a$ and $b$ such that the system has a solution.
(2) For each of the values in (1), solve the system.
(3) For each of the solutions in (2), check the answer.

Name. $\qquad$
Scores
$\qquad$ Problem 1. Periodic harvesting.
Problem 2. Cross bow.
Problem 3. Gaussian algorithm.
Problem 4. Inverse matrix.
Problem 5. In-class, October 18.
Average.

## Applied Differential Equations 2250-1 Version N-Z <br> Midterm Exam 2 In-Class <br> Friday, 18 October, 2002

Instructions: This in-class exam is 15 minutes. Hand-written or computer-generated notes are allowed, including xerox copies of tables or classroom xerox notes. Calculators are allowed. Books are not allowed.
5. (RREF method)

Let $c$ and $d$ denote constants and consider the system of equations

$$
\left(\begin{array}{ccc}
1 & c-d & -d \\
0 & 0 & c \\
1 & c-d & c-d
\end{array}\right)\left(\begin{array}{l}
x \\
y \\
z
\end{array}\right)=\left(\begin{array}{c}
0 \\
c \\
-d
\end{array}\right)
$$

(1) Determine those values of $c$ and $d$ such that the system has a solution.
(2) For each of the values in (1), solve the system.
(3) For each of the solutions in (2), check the answer.

Name. $\qquad$
Scores
Problem 1. Periodic harvesting.
Problem 2. Cross bow.
Problem 3. Gaussian algorithm.
Problem 4. Inverse matrix.
Problem 5. In-class, October 18.
Average.

## Applied Differential Equations 2250-3 Midterm Exam 2 In-Class <br> Friday, 18 October, 2002

Instructions: This in-class exam is 15 minutes. Hand-written or computer-generated notes are allowed, including xerox copies of tables or classroom xerox notes. Calculators are allowed. Books are not allowed.
5. (RREF method)

Let $a$ and $b$ denote constants and consider the system of equations

$$
\left(\begin{array}{ccc}
1 & a+b & b \\
0 & 0 & a \\
1 & a+b & a+b
\end{array}\right)\left(\begin{array}{l}
x \\
y \\
z
\end{array}\right)=\left(\begin{array}{c}
0 \\
3 a \\
2 b
\end{array}\right)
$$

(1) Determine those values of $a$ and $b$ such that the system has a solution.
(2) For each of the values in (1), solve the system.
(3) For each of the solutions in (2), check the answer.

