## Class \#6

More proofs

## Exercise

Prove: For every point P there exist at least two lines through P .

## Exercise 2

- What is wrong with the following proof for homework problem 3?
- Let $l$ be any line. By Axiom I-3, there exist three distinct points R, S, T that do not all lie on the same line. By $I-2$, there exist two points $R, S$ lying on $l$. Since $T$ does not lie on the same line as $R$, S , we conclude that T does not lie on $l$.


## If $H$ then $C(H \Rightarrow C)$

- CONTRAPOSITIVE
- If not C then not $\mathrm{H} \quad(\sim \mathrm{C} \Rightarrow \sim \mathrm{H})$
- Logically equivalent to $\mathrm{H} \Rightarrow \mathrm{C}$
- CONVERSE
- If C then H

$$
(\mathrm{C} \Rightarrow \mathrm{H})
$$

Exercise 3: State the converse and contrapositive of Proposition 2.1.

- Proposition 2.1: If $l$ and $m$ are distinct lines that are not parallel, then $l$ and $m$ have a unique point in common.
- Which one of the two can you prove?

