MATH 5075/6820 Project 1 Curtis Miller 09/09/2016

For the first part of the class project, we ask you to download the data sets stock (contains stock prices for mortgage and banks) and house (house price index). Below we read these data sets in for you directly:

stock <- read.table("http://www.math.utah.edu/~rice/stock.txt")
house <- read.table("http://www.math.utah.edu/~rice/house.txt")</pre>

A preview of the data
head(stock)

##		Date	Open	High	Low	Close	Volume	Adj.Close
##	1	9/4/2013	47.61	48.56	47.54	48.29	9894600	48.29
##	2	9/3/2013	47.10	48.15	47.04	47.67	12953200	47.67
##	3	8/30/2013	46.64	46.71	46.19	46.46	6442200	46.46
##	4	8/29/2013	46.31	47.15	46.17	46.58	7150000	46.58
##	5	8/28/2013	46.12	46.88	45.94	46.41	7172300	46.41
##	6	8/27/2013	46.69	46.78	46.11	46.16	10262900	46.16

head(house)

##		Date	SA
##	1	1/1/1991	100.00
##	2	2/1/1991	100.56
##	3	3/1/1991	100.57
##	4	4/1/1991	100.40
##	5	5/1/1991	100.48
##	6	6/1/1991	100.59

When you explore these data sets, you should notice immediately that they do not cover the same time frames, and one data set has greater resolution than the other (the stock data is daily, for every trading day, while the house price index is computed monthly). You will need to somehow account for this.

Consider the charts in the handouts containing a modified version of these data sets, available here and here. We would like for you to recreate these charts, but instead of using the raw data values, compute and plot the log differences:

$$r_t = \log(x_t) - \log(x_{t-1})$$

In econometrics, the log differences are interpreted as the rate of change at time t (so $100 \times r_t$ is interpreted as the percentage change from day t - 1 to day t). This is a very common econometric transformation, done in the hope that the resulting data r_t represents a stationary, well-behaved process and leads to economically interpretable results.

Compute this rate of change for both data sets, and plot it. (For the stock data, use the adjusted closing price.)

Your code here