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> # Problem 3.7-5, Asmar 2nd edition
> # Some hand calculations were done before coding below.
> # B_{mn}=0 for all m,n
> # B_{mn}^* = (16/sqrt(m^2+n^2))(1/(mn))(1/pi^2) for m,n odd,
> # B_{mn} = zero otherwise
> Bstar:=(m,n)->(16/sqrt(m^2+n^2))*(1/(m*n))(1/Pi^2);

```

$$Bstar := (m, n) \rightarrow \frac{16 \left(\frac{1}{m n} \right) \left(\frac{1}{\pi^2} \right)}{\sqrt{m^2 + n^2}} \quad (1)$$

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> phi:=(x,y,t,m,n)->sin(m*Pi*x)*sin(n*Pi*y)*sin(sqrt(m^2+n^2)*t);
>

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$$\phi := (x, y, t, m, n) \rightarrow \sin(m \pi x) \sin(n \pi y) \sin(\sqrt{m^2 + n^2} t) \quad (2)$$

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> N:=20: # Number of partial sum terms is N^2=400.
>

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> u:=(x,y,t)->sum(sum(Bstar(2*K+1,2*L+2)*phi(x,y,t,2*K+1,2*L+1),L=
0..N),K=0..N);
>

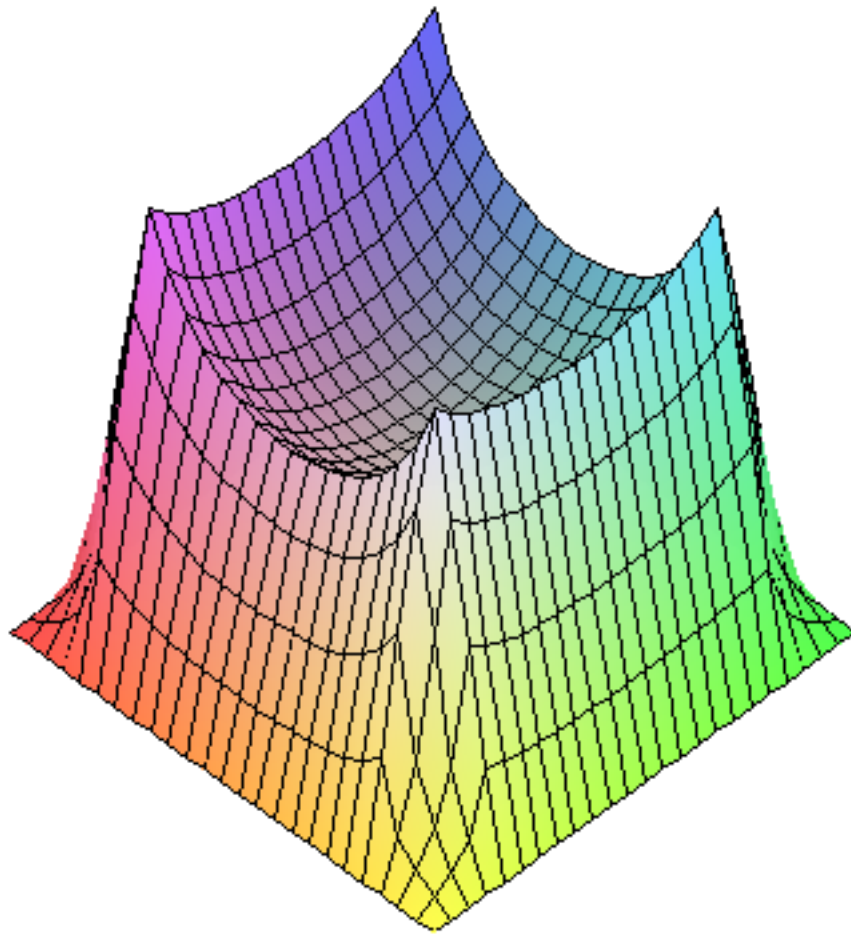
```

$$u := (x, y, t) \rightarrow \sum_{K=0}^N \left(\sum_{L=0}^N Bstar(2K+1, 2L+2) \phi(x, y, t, 2K+1, 2L+1) \right) \quad (3)$$

```

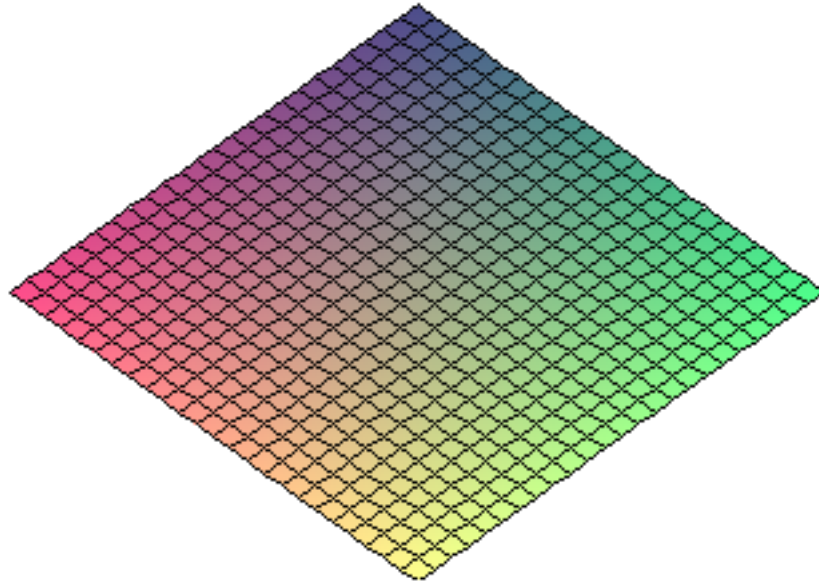
> plot3d(u(x,y,0.5),x=0..1,y=0..1);
>

```



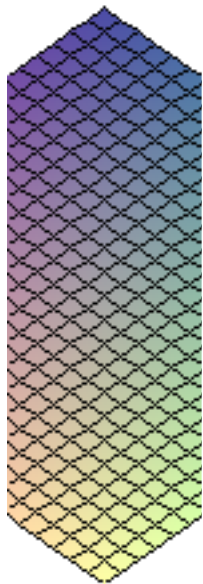
```
> plots[animate](plot3d,[u(x,y,t),x=0..1,y=0..1],t=0..3);
```

$t=0.$

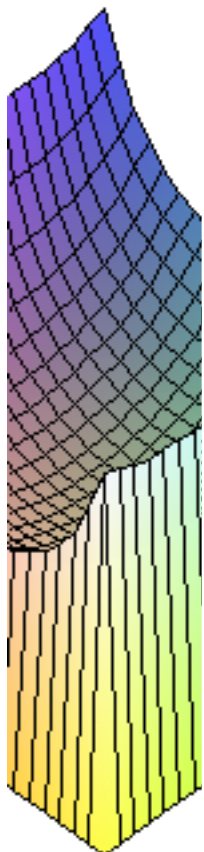


```
> plots[display](%,axes=None);
```

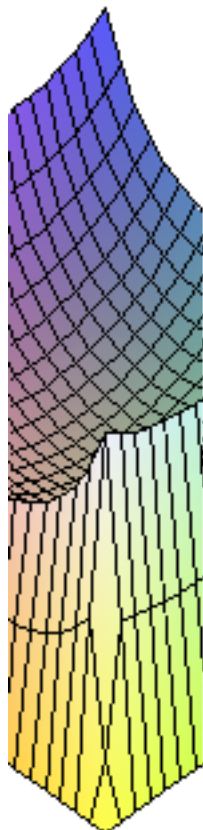
$t=0.$



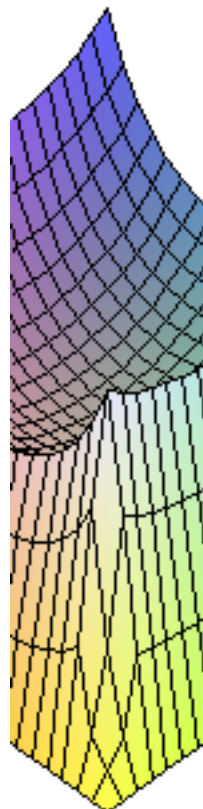
t
 $= 0.125$
000000\
0



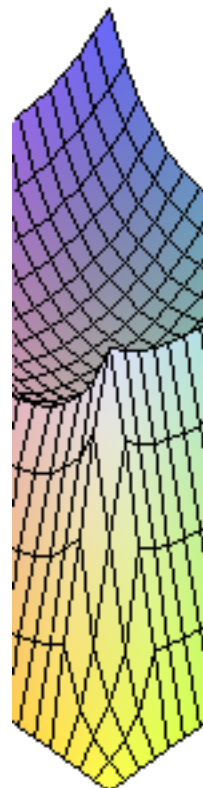
t
 $= 0.250$
000000\
0



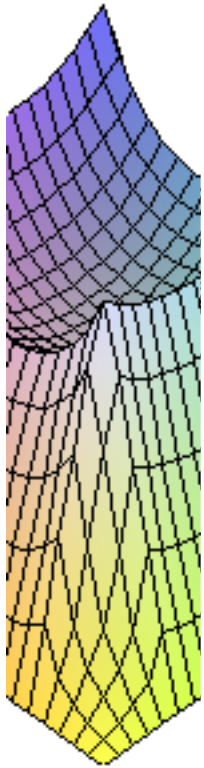
t
 $= 0.375$
000000\
0



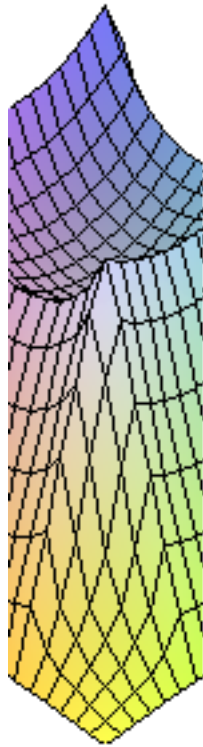
t
 $= 0.500$
000000\
0



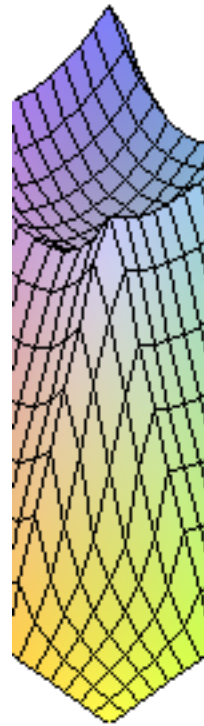
t
= 0.625\
000000\
0



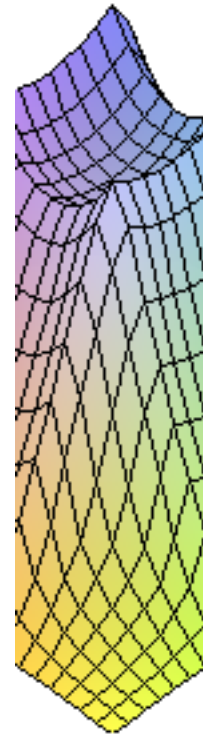
t
= 0.750\
000000\
0



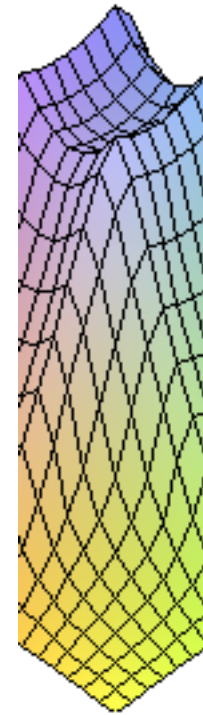
t
= 0.875\
000000\
0



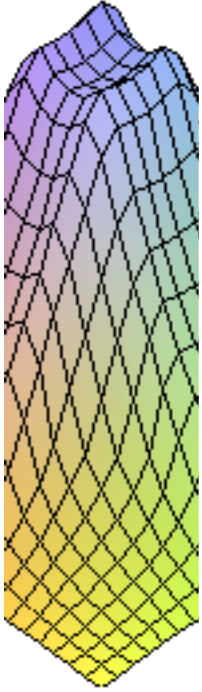
t
= 1.000\
000000



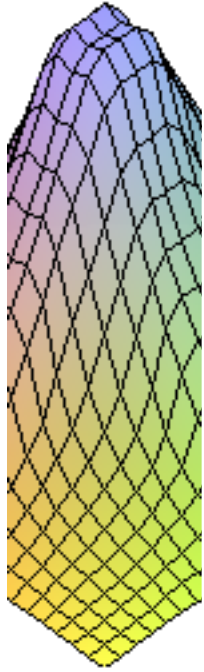
t
= 1.125\
000000



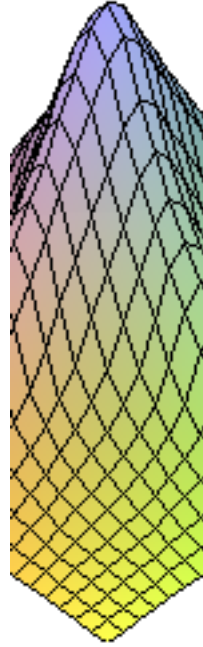
t
= 1.250\000000



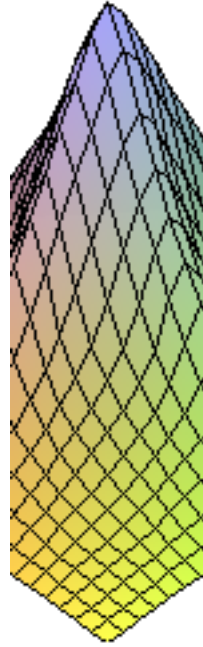
t
= 1.375\000000



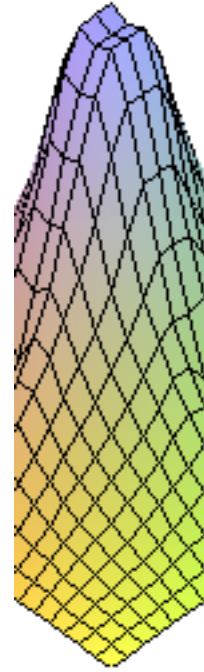
t
= 1.500\000000



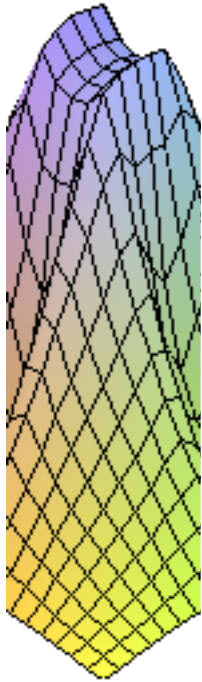
t
= 1.625\000000



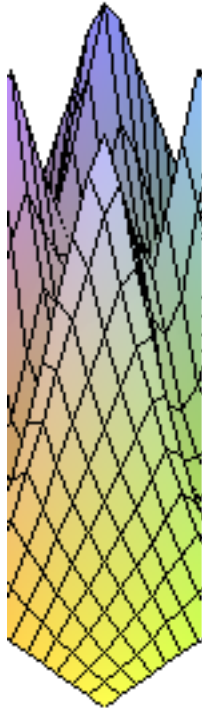
t
= 1.750\000000



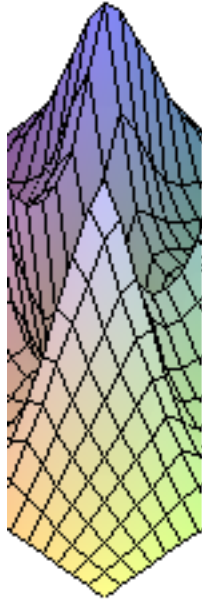
t
= 1.875\000000



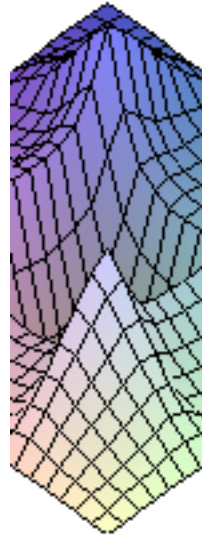
t
= 2.000\000000



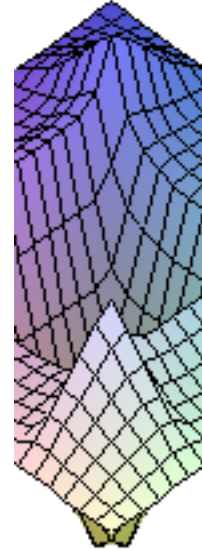
t
= 2.125\000000



t
= 2.250\000000

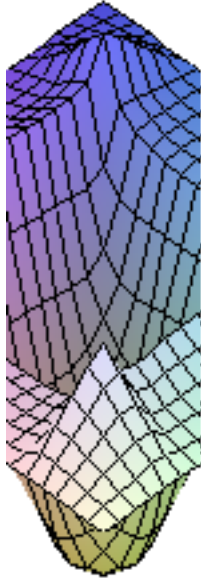


t
= 2.375\000000



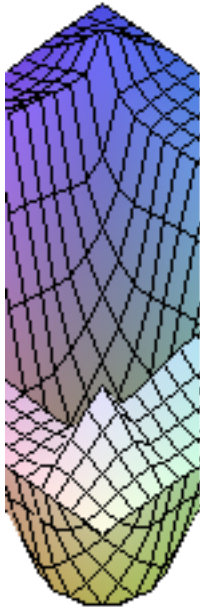
t

$= 2.500 \backslash$
000000



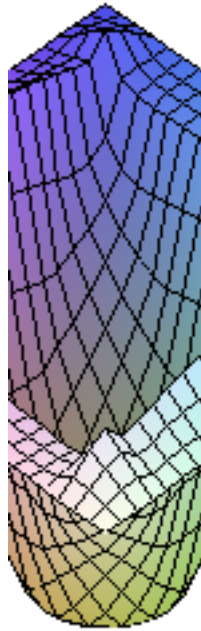
t

$= 2.625 \backslash$
000000



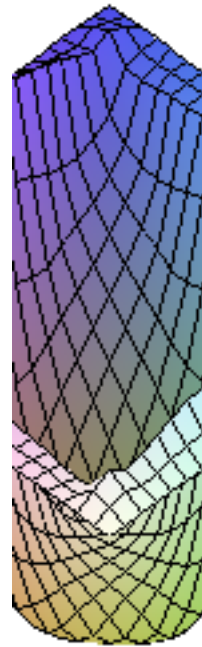
t

$= 2.750 \backslash$
000000



t

$= 2.875 \backslash$
000000



t

$= 3.000 \backslash$
000000

